

LOAD-DISTRIBUTING PROPERTIES  
OF OPEN-GRID STEEL FLOORING

by

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A THESIS

submitted to


OREGON STATE COLLEGE

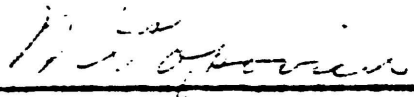
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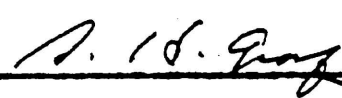
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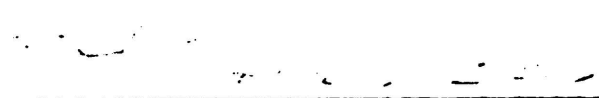
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# LOAD-DISTRIBUTING PROPERTIES OF OPEN-GRID STEEL FLOORING

## INTRODUCTION

This is a study of the stress distributing properties of I-Beam-Lok bridge flooring manufactured by the United States Steel Corporation and distributed by the Columbia Steel Company on the West Coast.

For several years open-grid type steel decking has been used as a light weight flooring where a minimum of weight is essential. When used as bridge flooring the design has been based upon specifications for concrete floor slabs or empirical formulas, which may or may not be applicable to the various types of open-grid decking available.

A series of studies on three types of bridge decking was instigated by the Oregon State Highway Department and the American Association of State Highway Officials (AASHO). This thesis is concerned only with the I-Beam-Lok flooring.

Two types of I-Beam-Lok bridge flooring are manufactured. These are essentially the same, but differ depending upon the direction of traffic relative to the direction of the carrying 5-inch I-beams. The flooring used in this study was designed to be laid with the carrying 5-inch I-beams transverse to the direction of traffic.

inches by  $\frac{1}{2}$  inches. These transverse crossbars are notched on the top edge to receive two supplementary  $\frac{13}{16}$  inch by  $\frac{1}{2}$  inch bars equally spaced between and parallel to the 5-inch I-beams. The top edges of the main crossbars are dropped approximately  $\frac{3}{32}$  inch below the top of the 5-inch I-beams. The supplementary crossbars are flush with the 5-inch I-beams, and are rolled with depressions approximately 2 inches on centers. The flooring is fabricated by welding and weighs approximately 18.6 pounds per square foot.

## TEST I

### DETERMINATION OF MOMENT OF INERTIA AND SECTION MODULUS

This test was made by Mr. Richard H. Russell in the summer of 1950. The results are included in this thesis for a more complete study of the flooring.

Two general methods are used in the determination of Moment of Inertia and Section Modulus. One method requires the measurement of deflection and the other, stress in the outer fibers.

The stress method makes use of the simple flexure formula:

$$s = \frac{Mc}{I} = \frac{M}{Z}$$

The flexure formula primarily determines the

Section Modulus. Two values of the Section Modulus are obtained by using the measured tensile and compressive stresses in the outer fibers.

The location of the neutral axis can be determined from the tensile and compressive strain data. The Moment of Inertia can then be derived from the Section Modulus.

From the deflection measurements the Moment of Inertia can be determined directly by using the deflection formula for a simple beam with center loading:

$$y = \frac{PL^3}{48EI}$$
$$I = \frac{PL^3}{48Ey}$$

With the location of the neutral axis known, the Section Modulus can then be obtained. As the neutral axis is not in the center of the section, two values for the Section Modulus are found.

The 20-foot length of flooring was supported as a simple beam with a span of 15 feet. The supports at each end were 6-inch 12.5 pound I-beams placed on two 10-inch 25.4 pound supporting I-beams. These 10-inch I-beams rested on the base of the testing machine, and were spaced 20 inches center to center.

Type A-1, SR-4 electrical resistance strain gages

were located on the top and bottom of each 5-inch I-beam under the applied load. The Baldwin-Southwark SR-4 Strain Indicator was used to measure strain. The use of this indicator is explained in the Appendix, p. 71.

Line loading to the flooring, at the center of the span, was through a 6-inch 12.5-pound I-beam. Between the flooring and the I-beam a notched 2-inch by 4-inch board was placed to protect the strain gages.

A reference bar for deflection measurements was placed across the 10-inch supporting I-beams in order to measure deflections at the center of the span. Drill point marks were made on each 5-inch I-beam of the flooring and the reference bar to provide accurate seating of the inside micrometer.

Loads were applied in increments of 1,000 pounds to 5,000 pounds where the maximum resulting stress in the 5-inch I-beams was 17,380 psi. Deflection and strain readings were made at each load. Two complete runs were made and the values averaged.

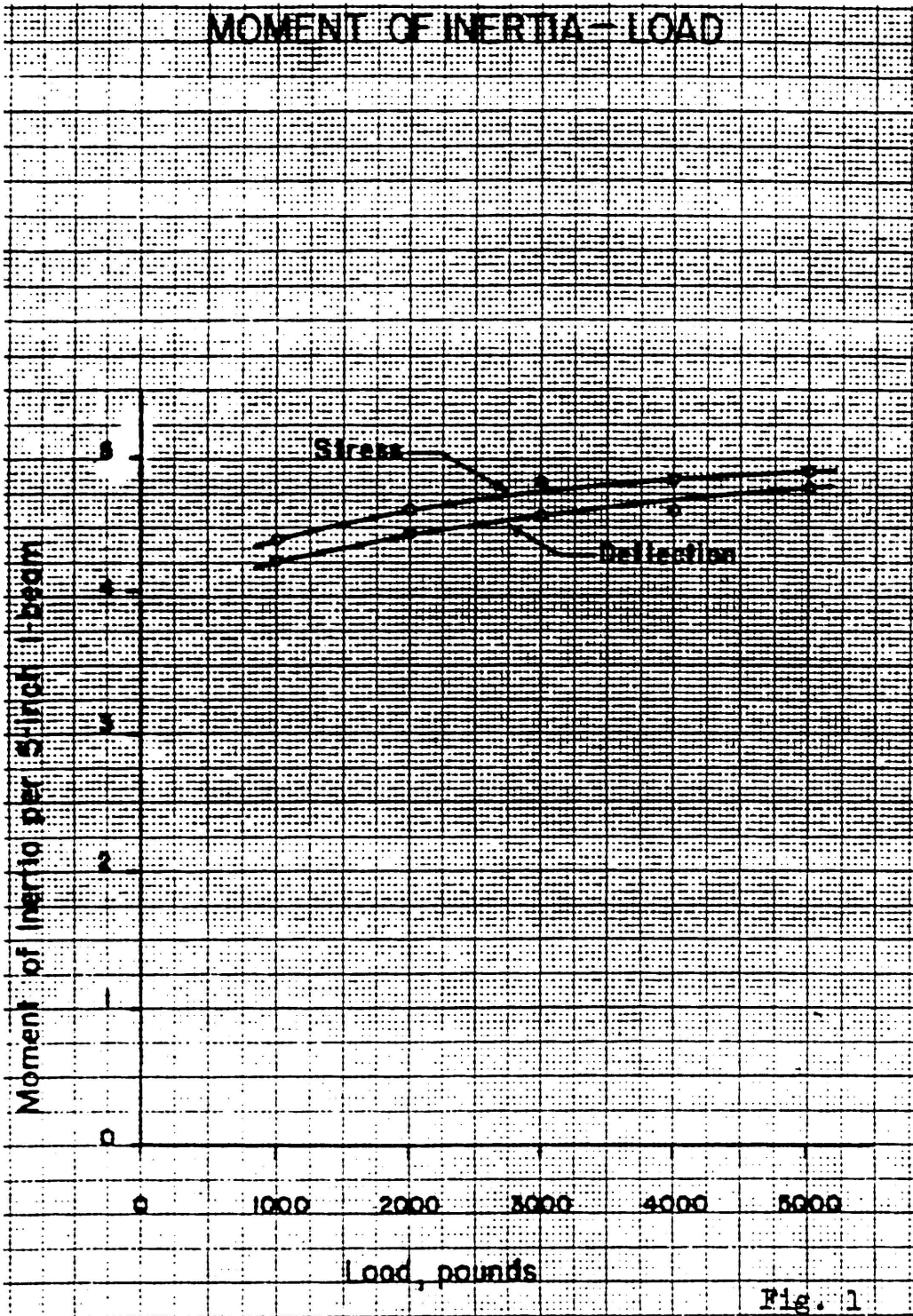
The results of this test are shown in Table I and graphically in Fig. 1, p. 8. This table also includes the results of similar tests made for the United States Steel Corporation and published in their booklet "Light Weight Steel Flooring".

Higher values for the Moment of Inertia and



TABLE I  
Results of Test I  
Moment of Inertia and Section Modulus

		U. S. STEEL DATA							
		Calculated Properties :							
		5" I-Beam :			5" I-Beam : Test				
		Only :			Plus Bars :				
		Results :			Results :				
		Load, Pounds	4,000	5,000					
		2,000	3,000	4,000	5,000				
Tension	psi	1,000	2,000	3,000	4,000	5,000			
Compression	psi	3,280	7,340	10,480	13,980	17,380			
C, tension	psi	3,740	7,030	10,230	13,580	16,620			
C, compression	psi	2,53	2,55	2,53	2,54	2,56	2.12	2.70	2.53
Deflection	inches	2.17	2.45	2.47	2.46	2.44	2.88	2.30	2.47
I inches <sup>4</sup>		0.111	0.269	0.393	0.517	0.625			
(Stress)									
Tension	I inches <sup>4</sup>	4.42	4.64	4.84	4.86	4.91			
Compression	I inches <sup>4</sup>	4.41	4.65	4.83	4.84	4.90			
(Deflection)									
Z inches		4.26	4.46	4.58	4.64	4.80	3.16	5.00	4.02
(Stress)									
Tension	Z inches	1.75	1.82	1.91	1.91	1.92			
Compression	Z inches	1.78	1.90	1.95	1.97	2.00			
(Deflection)									
Tension	Z inches	1.68	1.75	1.81	1.83	1.87	1.50	1.85	1.59
Compression	Z inches	1.72	1.82	1.85	1.88	1.97	1.10	2.17	1.63



Section Modulus were obtained with stress data than from deflection data. Both of these methods gave values somewhat smaller than the calculated Moment of Inertia of 5.00 but larger than the 4.02 given by the United States Steel Corporation tests. The results obtained from the United States Steel Corporation were made from deflection measurement only.

Referring again to Fig. 1, it is apparent that as the load increases there is a distinct increase in the Moment of Inertia. The value of the Moment of Inertia at the 5,000-pound load is  $12\frac{1}{2}$  percent greater than for the 1,000-pound load. It would seem that the supplementary bars are not entirely effective at the lower loads. Nevertheless these bars do increase the Moment of Inertia of the flooring by more than 50 percent over and above the calculated value of 3.16 for the 5-inch I-beam alone. This line of reasoning is further borne out by the Load-Deflection curve, Fig. 2. When the loads are increased the amount of deflection is not proportional to load. This would again indicate the Moment of Inertia is increasing with higher loads.

## TEST II

### STRESS DISTRIBUTION

It was the object of this test to determine the maximum allowable span using a H20 load (plus 30 percent for impact) and unit stress of 18,000 psi. In addition the distribution of the load by the 5-inch I-beams.

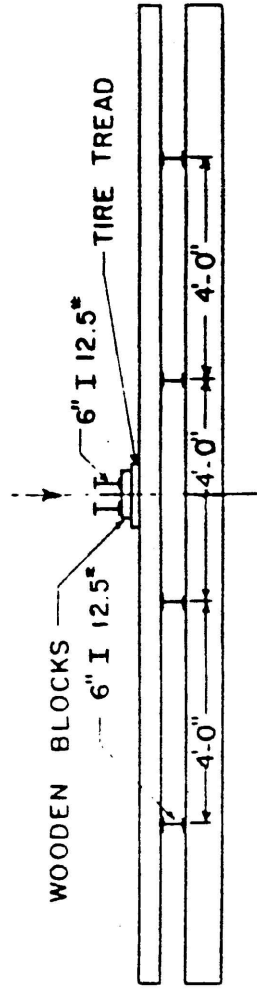
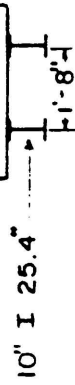
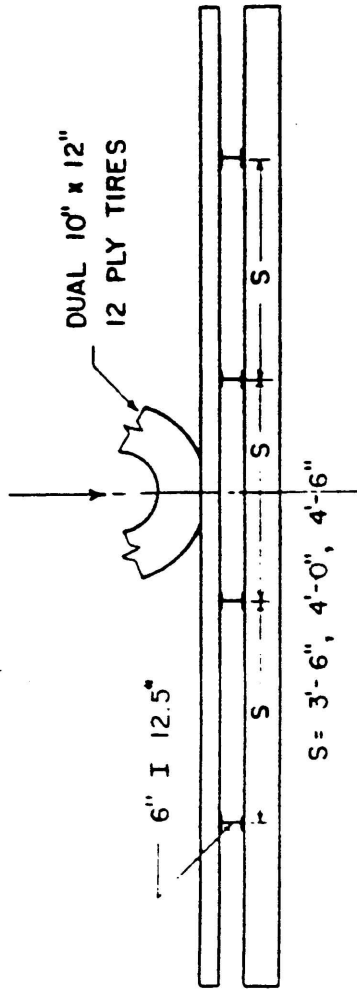
In this test the flooring was mounted as a continuous slab with three spans over four supports. Fig. 3, p. 12.

In order to use the same specimen with variable spans it was not possible to weld the flooring to the 6-inch I-beams, instead  $\frac{1}{2}$  inch hook-bolts were used to secure the flooring. Fig. 4, p. 13. The stringers in turn were fastened to the 10-inch supporting I-beams with C clamps.

A total of 58 SR-4 electrical resistance strain gages were located on the 5-inch I-beams and the supplementary bars. Figs. 5, 6, pp. 14 and 15. The Young Testing Machine Company Type A-Strain Indicator was used in this test giving readings directly in micro-inches per inch.

The flooring was loaded at the center of the middle span, through the 10 x 20, 12 ply heavy duty dual tires. Fig. 7, p. 16. The tires were inflated to

# TEST SET UP



SCALE: 3/8" = 1'0"

Fig. 3

METHOD OF ATTACHING DECKING  
TO STRINGERS

1/2" x 7" HOOK BOLTS

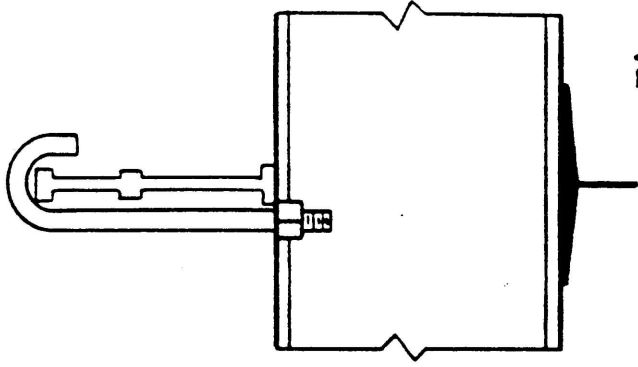
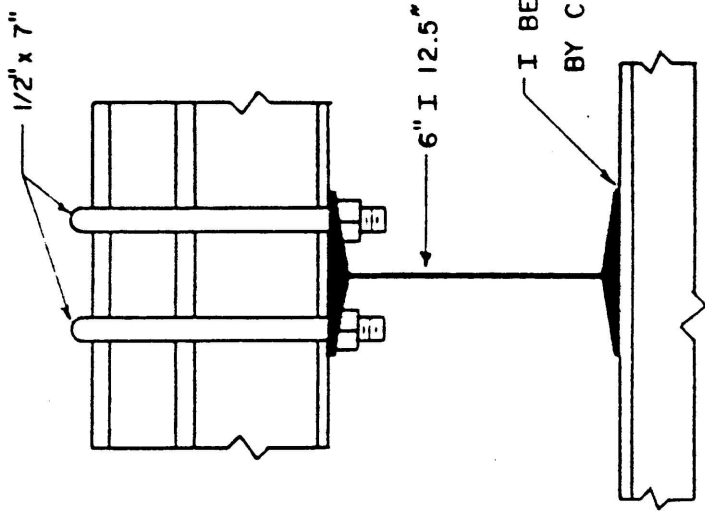
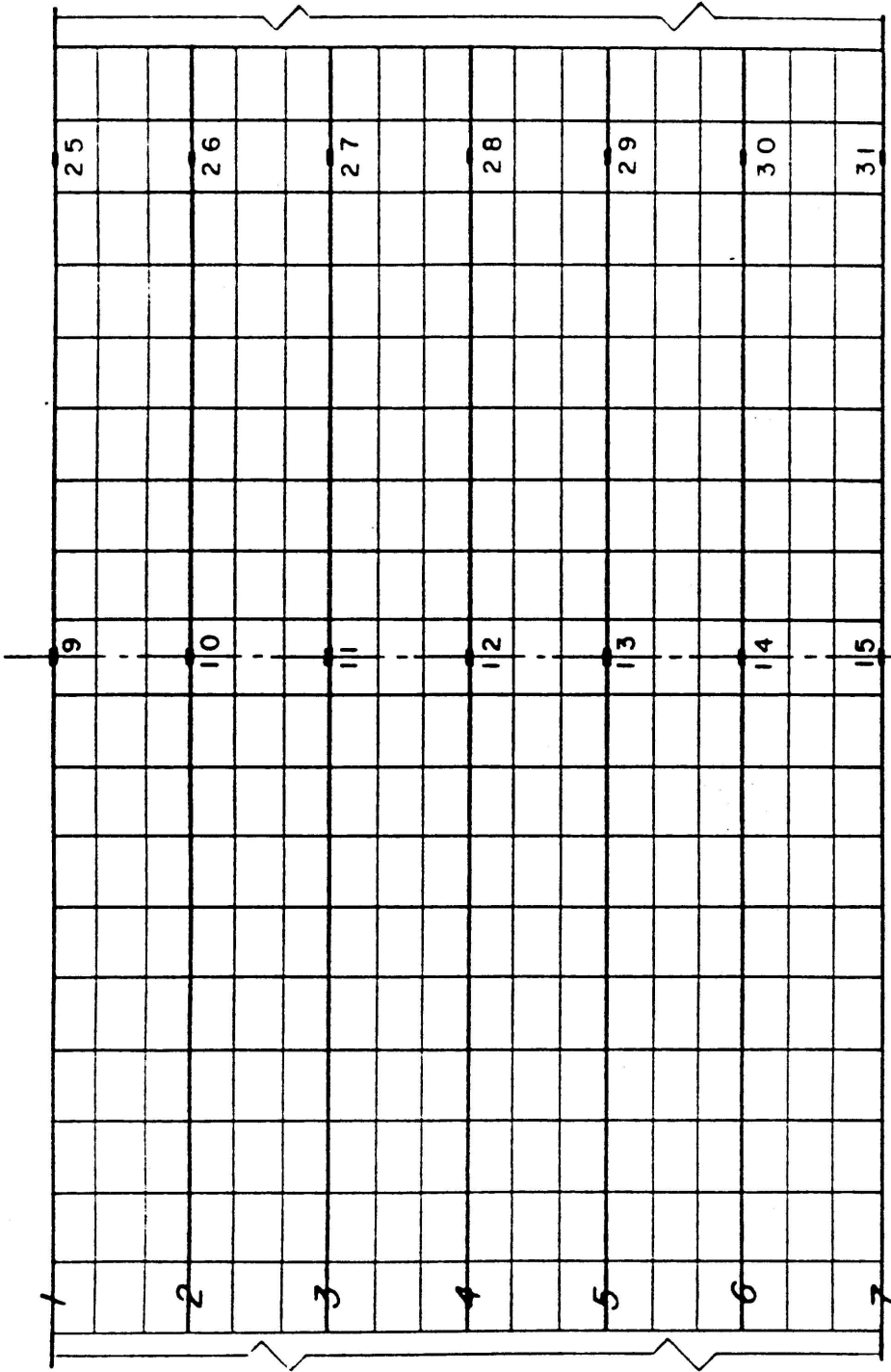


Fig. 4

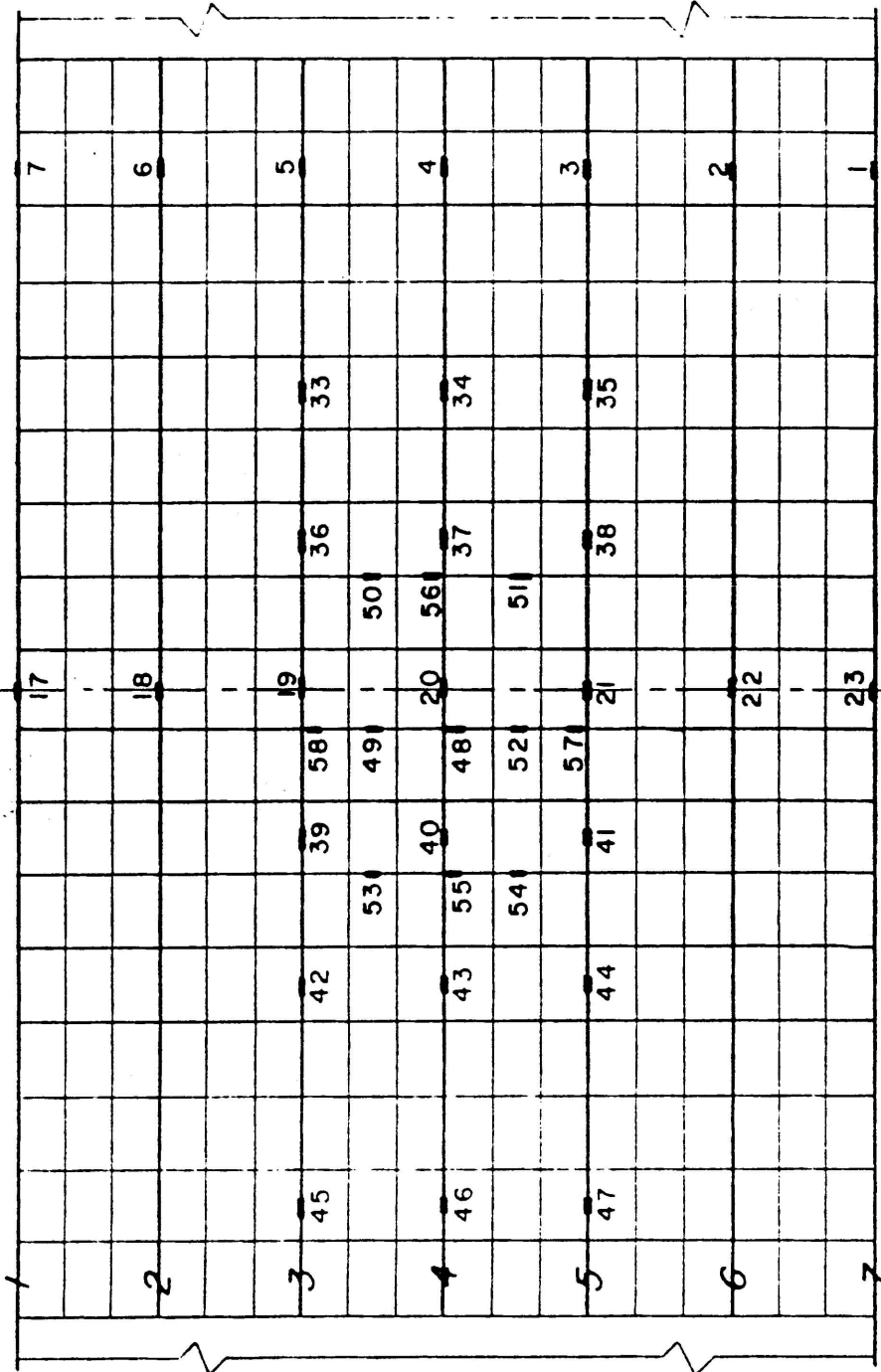
SR-4 STRAIN GAGES ON TOP OF DECKING



SCALE: 1 1/2" = 1'0"

Fig. 5

SR-4 STRAIN GAGES ON BOTTOM OF DECKING



SCALE 1 1/2" = 1'0" Fig. 6



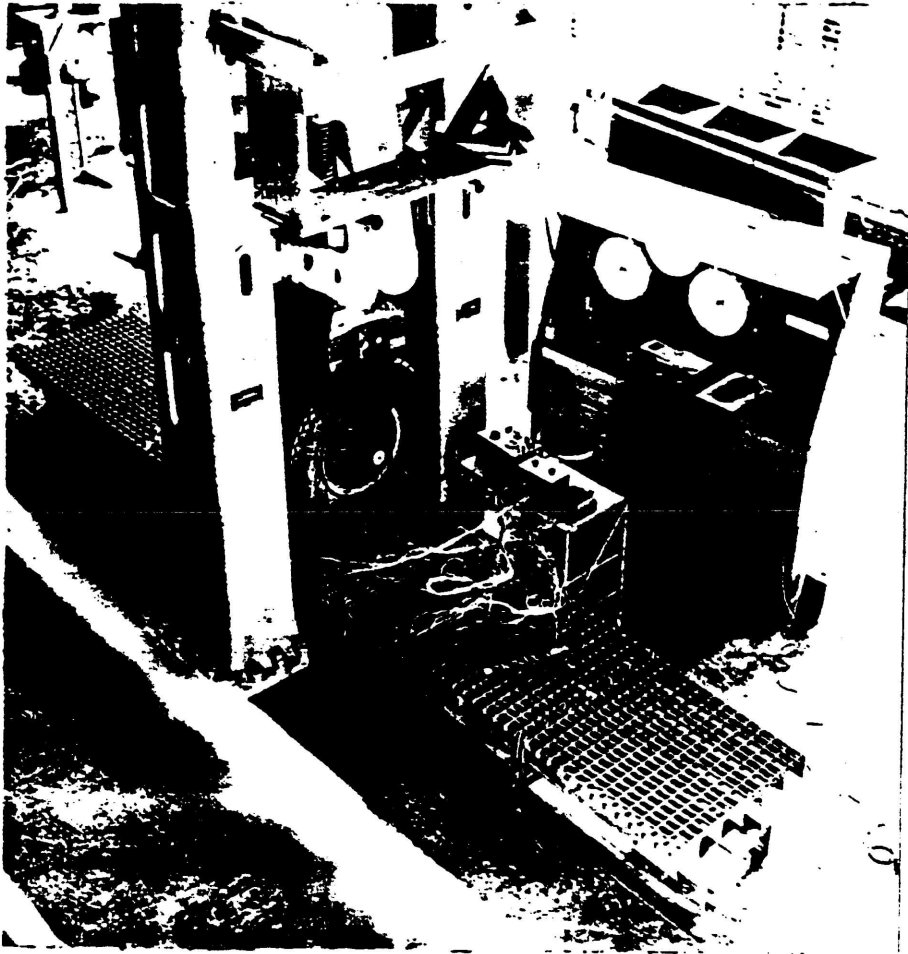


Fig. 7

General View of Test  
With Dual Tires

90 psi and all runs made at this pressure. This is 20 psi above that recommended by the manufacturer but is common procedure in the trucking industry. Although the flooring was designed for loading transverse to the 5-inch I-beams, loadings were made parallel and transverse in each span length.

Two or more runs were made for each span and the values averaged. By the use of this strain data the variation of strain in both directions from the tires could be determined.

The H20 load (plus 30 percent for impact), as specified by the AASHO Standard Specifications for Highway Bridges, fifth edition, 1949, sections 3.2.5 (b) and 3.2.12 (c), was used as the design load. This amounts to a total of 15,600 pounds.

The maximum unit stress in the steel is given by sections 3.4.2 in the above specifications as 18,000 psi.

For a given maximum allowable stress and design load the maximum allowable span length may be determined.

#### Maximum Allowable Span

For any given span a load-stress curve will indicate that load causing a stress of 18,000 psi in the most severely stressed member of the specimen. Figs. 8, 9, 10, pp. 18, 19, and 20. Stress values indicated by

## LOAD-STRESS

WHEELS PARALLEL

SPAN 3'-6"

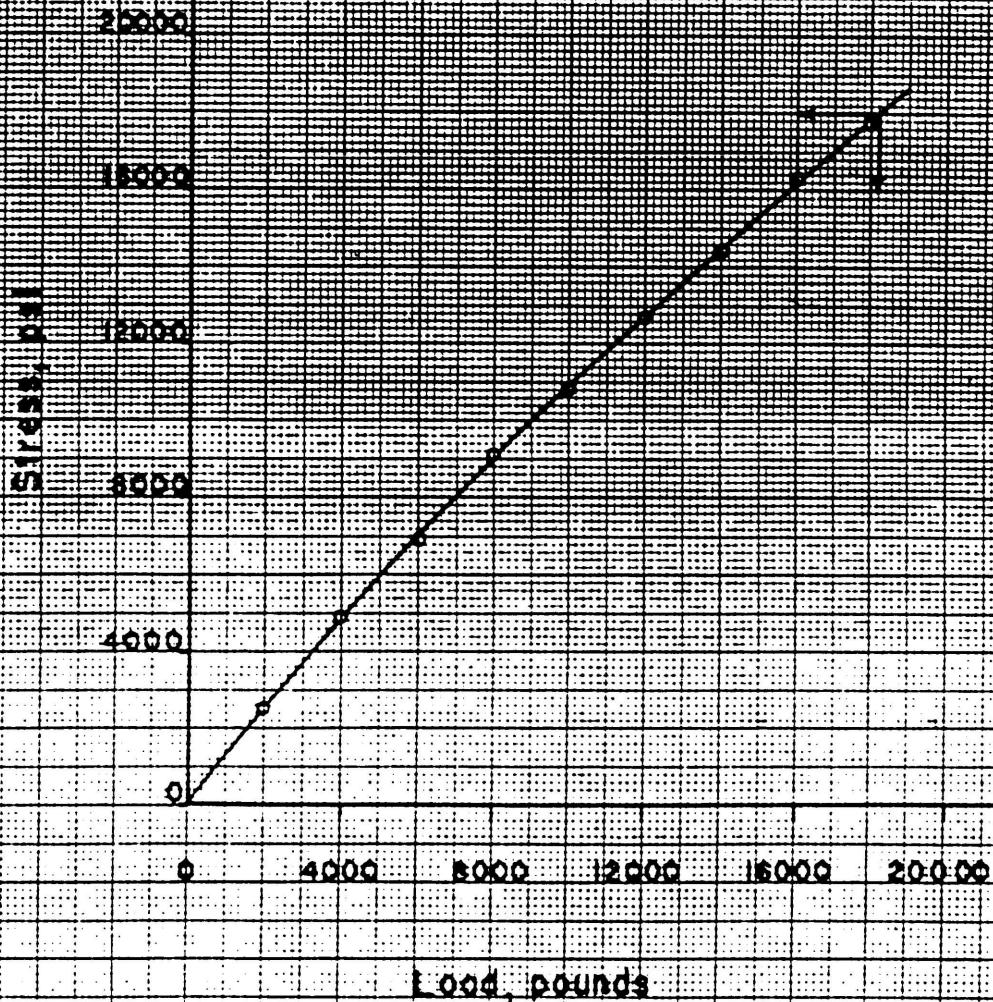


Fig. 8

# LOAD - STRESS

WHEELS PARALLEL

SPAN 4'-0"

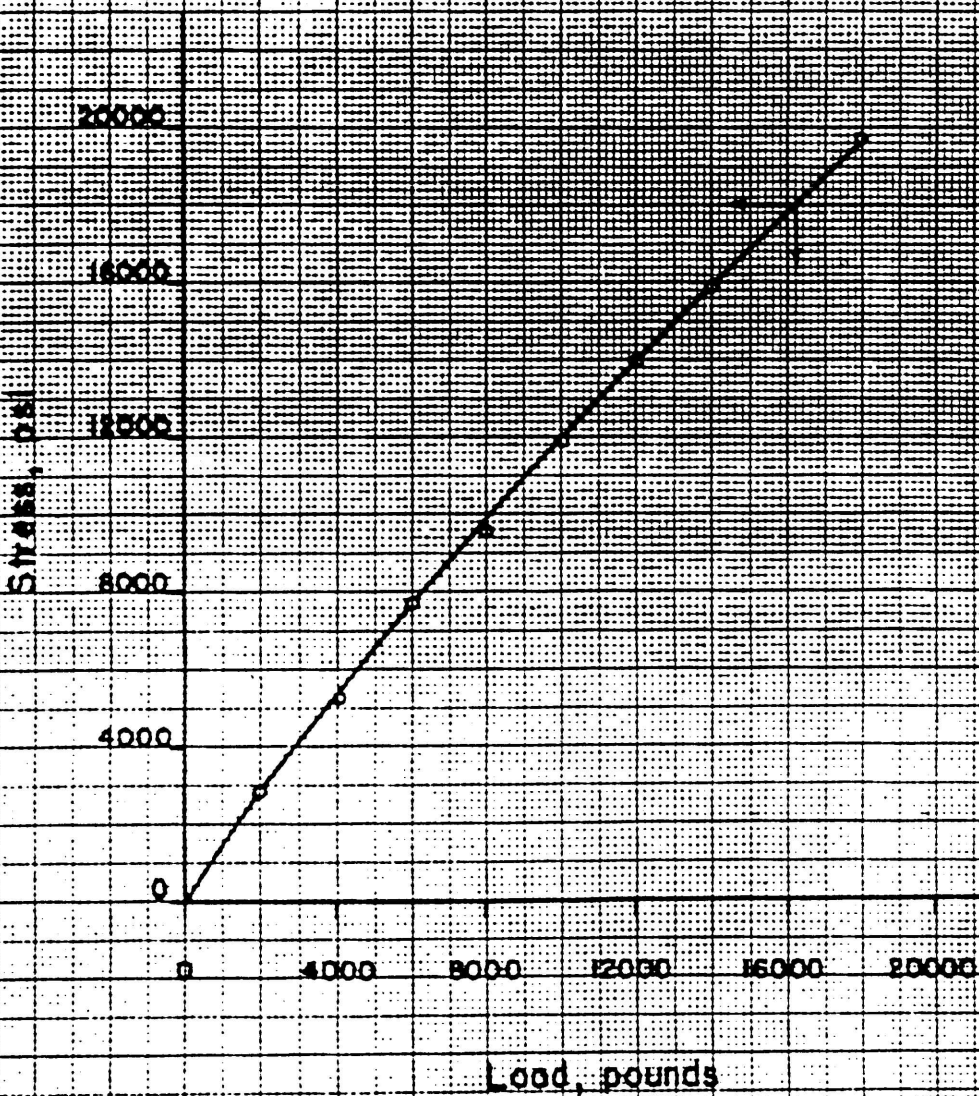


FIG. 9



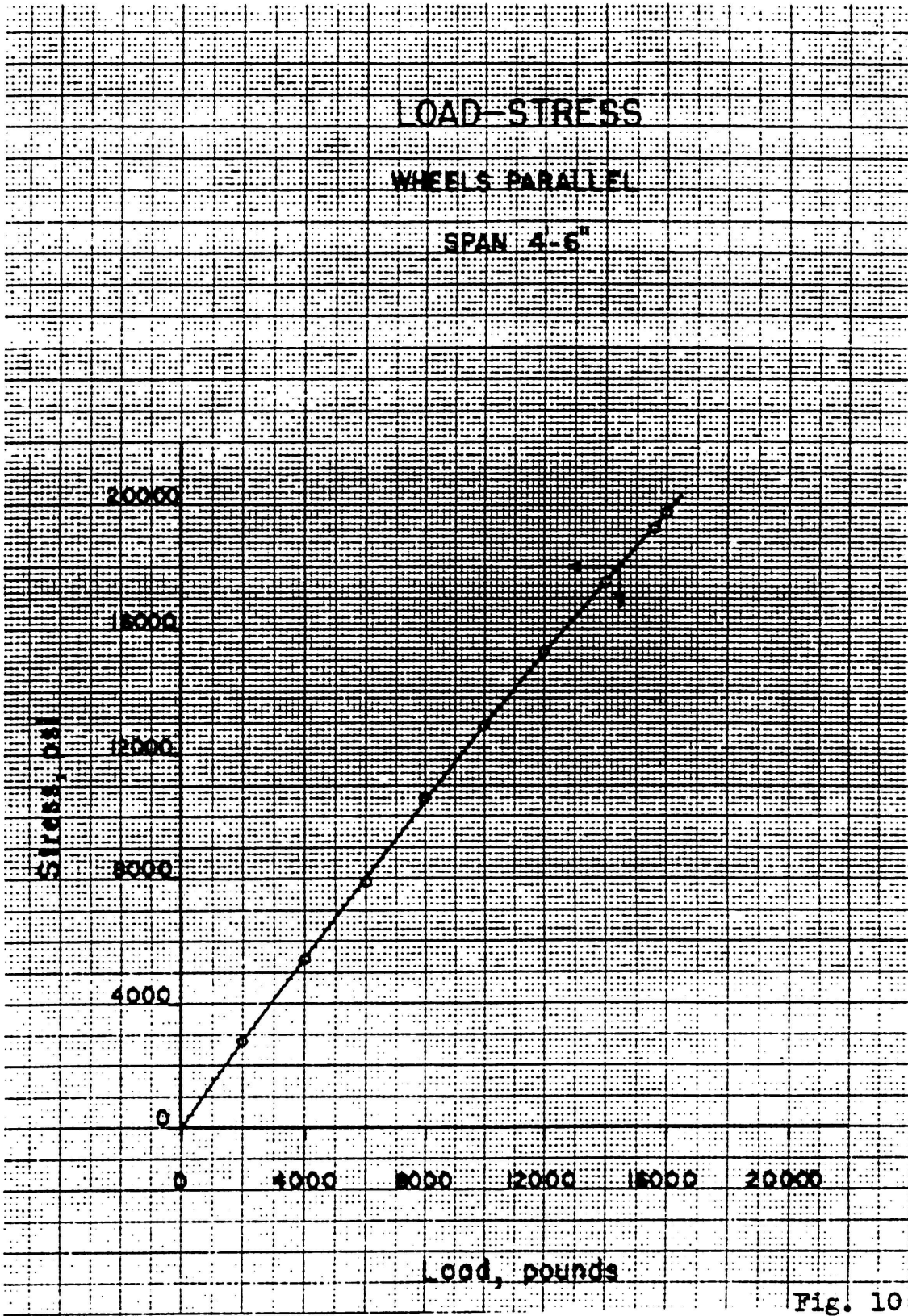
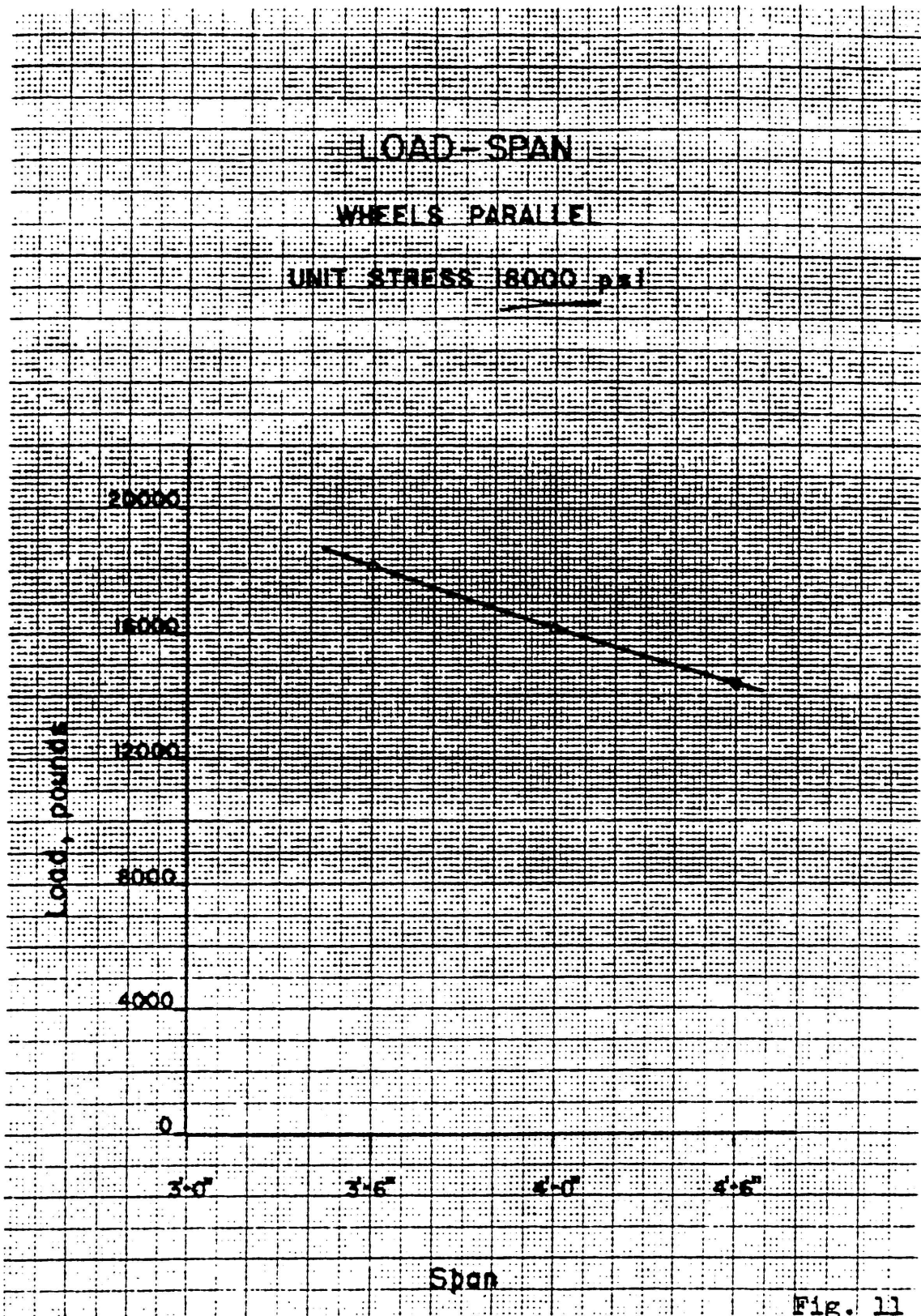


Fig. 10

gage 21 located on I-beam 5 directly under one of the tires were used to plot these curves. As the span length is increased this stress will result from lower applied loads.

From these results a composite curve, Fig. 11, p. 22, can be constructed showing the load required at any given span to cause a maximum stress of 18,000 psi in the members. From this curve the span length corresponding to a 15,600-pound load can be obtained. It is apparent that a span of 4 feet 2 inches is permissible.

Figures 12, 13, 14, pp. 23, 24, and 25, show a similar set of curves for the conditions when the tires are transverse to the 5-inch I-beams. With this type of loading a 5-inch I-beam is not the most severely stressed member. Gage 50 located as close as possible to the center of a crossbar directly under one of the tires indicates stress considerably in excess of that existing in the I-beams indicated by gage 20. Figure 15, p. 26, indicates that a span of 4 feet 0.2 inch will stress the I-beam to 18,000 psi but a much shorter span would be required for the crossbar. Unfortunately there are insufficient data to determine the allowable span if the stress in the crossbar is not to exceed 18,000 psi.



# LOAD-STRESS

## WHEELS TRANSVERSE

SPAN 3'-6"

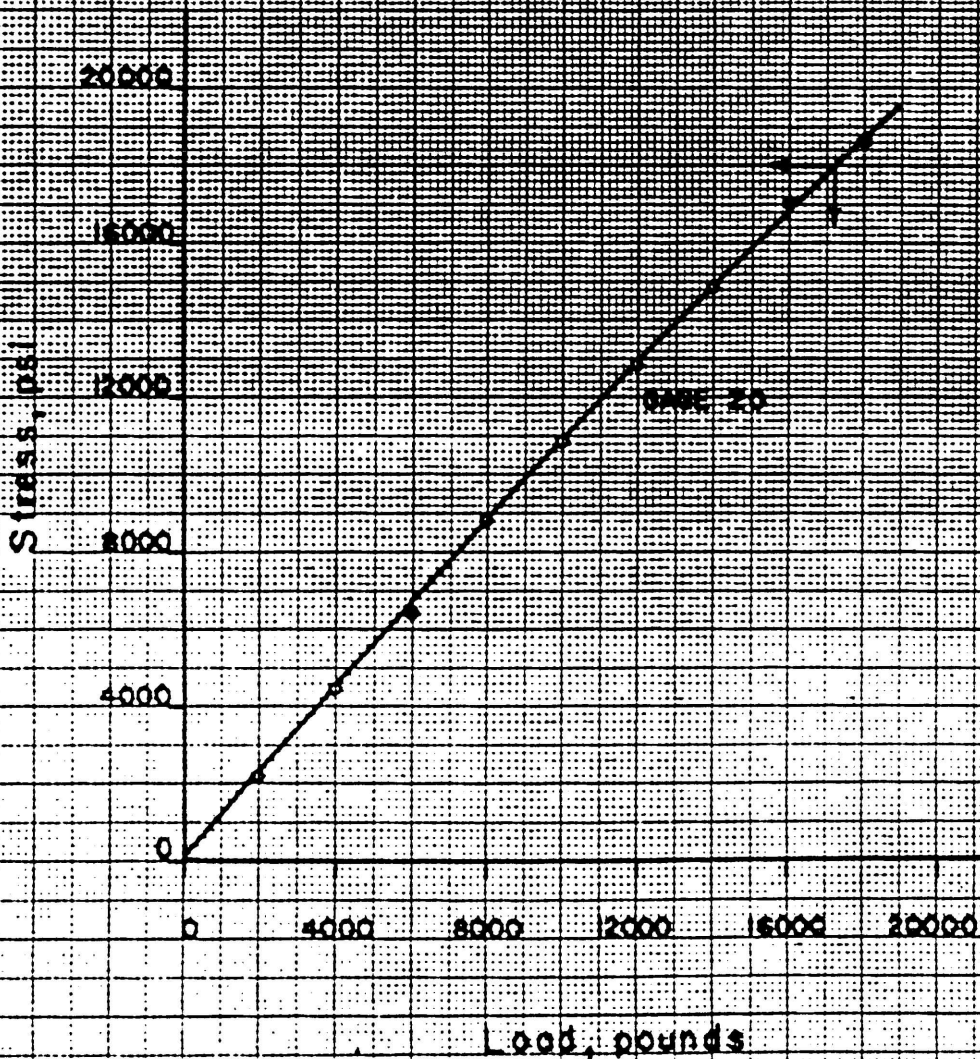


Fig.12



# LOAD-STRESS

WHEELS TRANSVERSE

SPAN 4'-6"

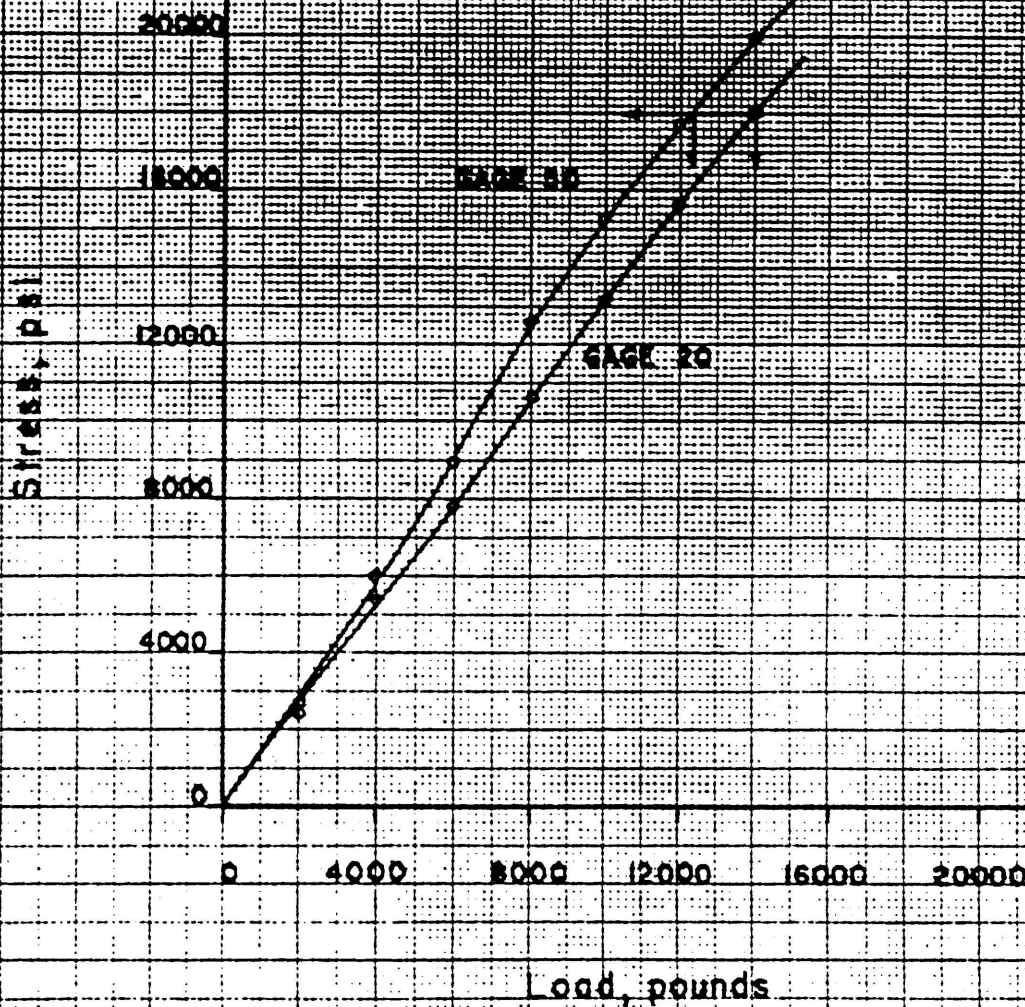


Fig. 14

# LOAD-SPAN

## WHEELS TRANSVERSE

UNIT STRESS 18000 p.s.i.

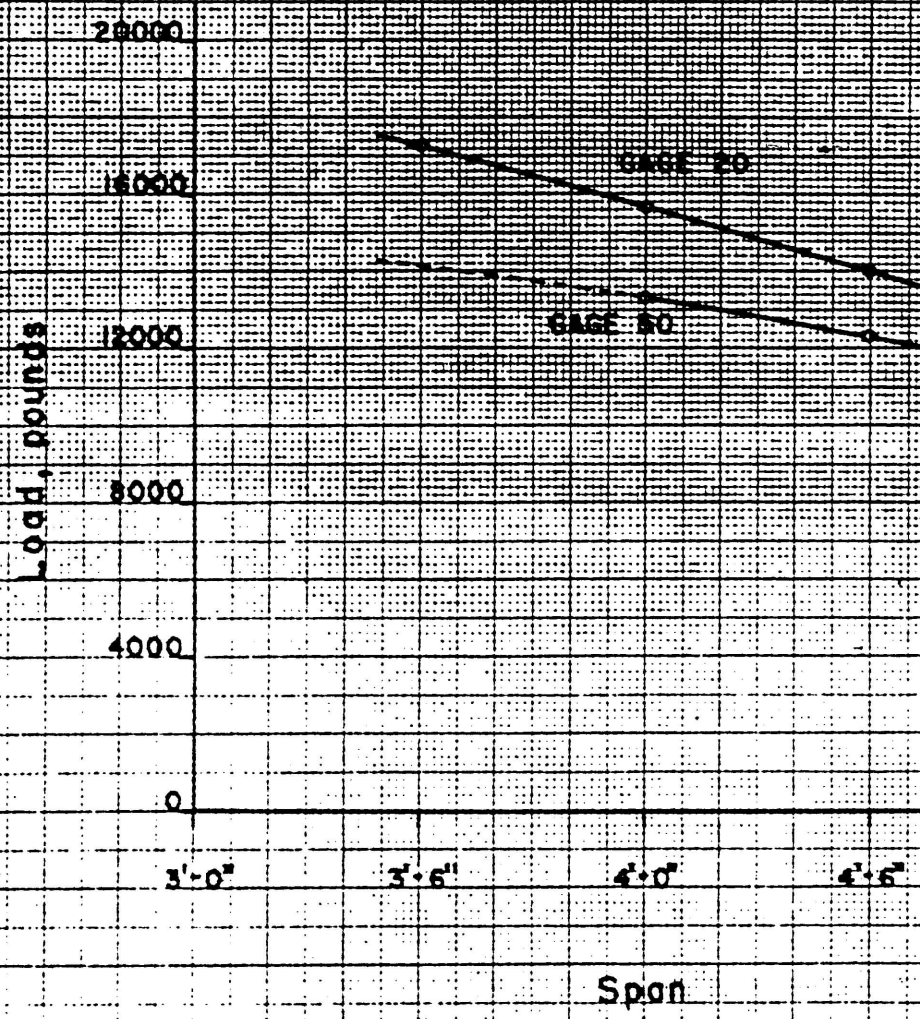


Fig. 15

### Effective Distribution

The stress cross section curves, Figs. 16, 17, 18, pp. 28, 29, and 30, show the stress in each I-beam for any given load. Since stress is proportional to load, these curves indicate the manner in which the applied loads are shared among the I-beams.

For design purposes it is convenient to refer to an effective load distribution. The effective load distribution was determined at design load by dividing the sum of the stresses by the average of the two maximum stresses. By averaging the two maximum stresses any asymmetry due to eccentric loading would be eliminated.

The values of effective load distribution at design load for the three different spans are shown below:

TABLE II

<u>Span</u>	<u>Effective Distribution (5-inch I-beams plus two parallel bars)</u>
3' 6"	3.95
4' 0"	4.15
4' 6"	4.21

# STRESS CROSS-SECTION

SPAN 316' WHEELS PARALLEL

20000

16000

12000

8000

4000

0

Stress, psi

8000

6000

4000

2000

0

2000 lbs load

8000

6000

4000

2000

0

2000 lbs load

8000

6000

4000

2000

0

2000 lbs load

8000

6000

4000

2000

0

2000 lbs load

8000

6000

4000

2000

0

2000 lbs load

8000

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2000 lbs load

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6000

4000

2000

0

2000 lbs load

8000

6000

4000

2000

0

2000 lbs load

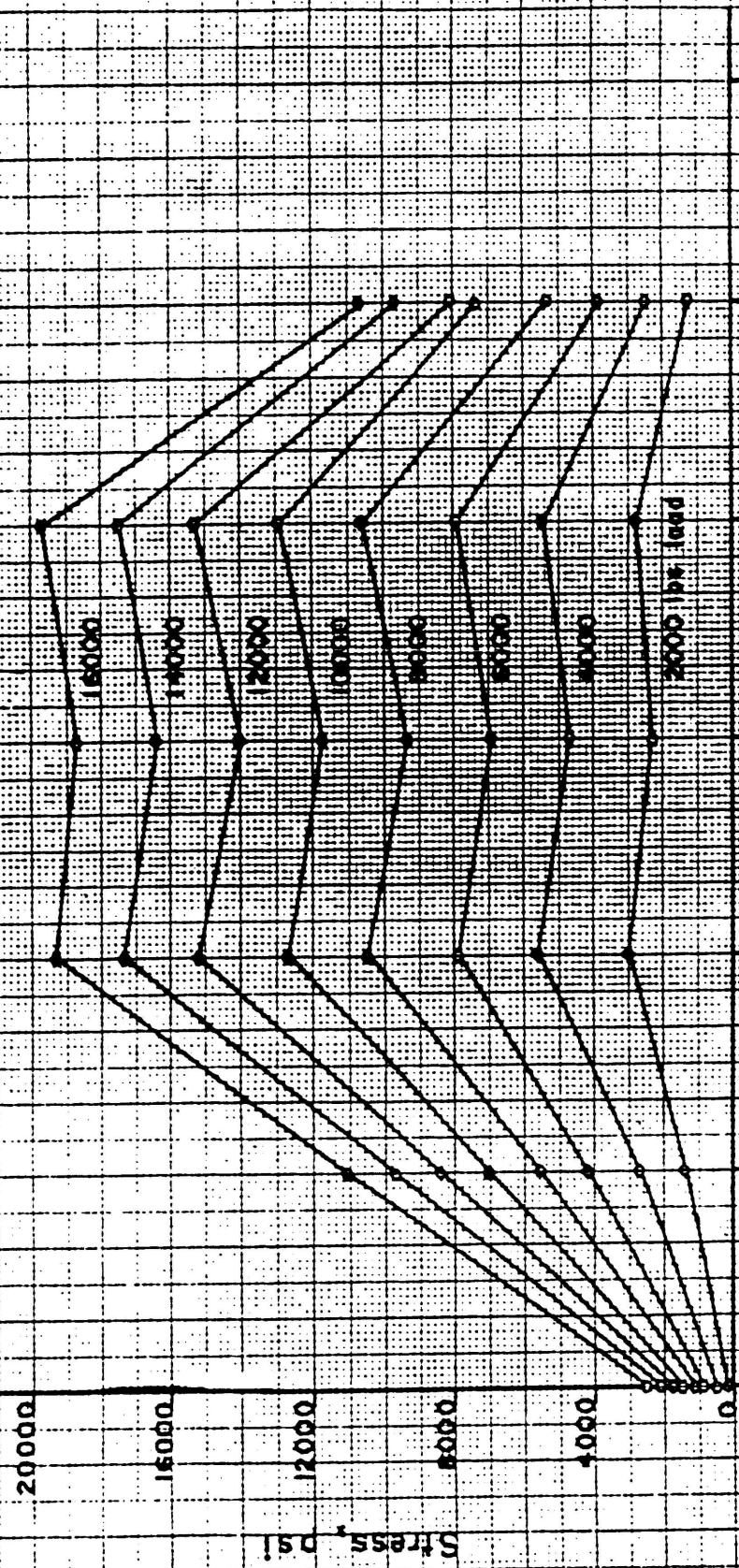
1 2 3 4 5 6 7

I-BEAM



# STRESS CROSS SECTION

SPAN 4'-6" WHEELS PARALLEL



1'-8" HIGH

FIG. 18

It will also be noted that the effective load distribution increases with the span length.

The AASHTO Standard Specifications for Highway Bridges, fifth edition, 1949, sec. 3.35 (c), states:

"A wheel load shall be distributed normal to the main bars, over a width of  $W$  plus twice the distance center to center of the main bars, where  $W$  equals 1 inch per ton of weight of loaded truck."

I-Beam-Lok Flooring by these specifications should exhaust the H20 load (plus 30 percent for impact) in 44 inches.

The stress cross section curves indicate that the width of the specimen used in this test did not exhaust the distribution of the design load. <sup>Too narrow</sup> The addition of one more section would possibly have exhausted this load.

To compare the stress across the flooring for the two methods of loading, stress cross section curves have been drawn for each span at the design load. Figs. 19, 20, 21, pp. 32, 33, and 34. It should be pointed out that these curves may be compared on a stress basis. They are not comparable on a load basis. When the wheels are transverse the dual tires will give the effect of two point loading and therefore lower stress than would exist had the same load been applied centrally. The sum of the stresses across the flooring with the wheels transverse are therefore lower than those for

# STRESS CROSS-SECTION

SPAN 3'-6" LOAD 5600 lbs

20000

16000

12000

8000

4000

0

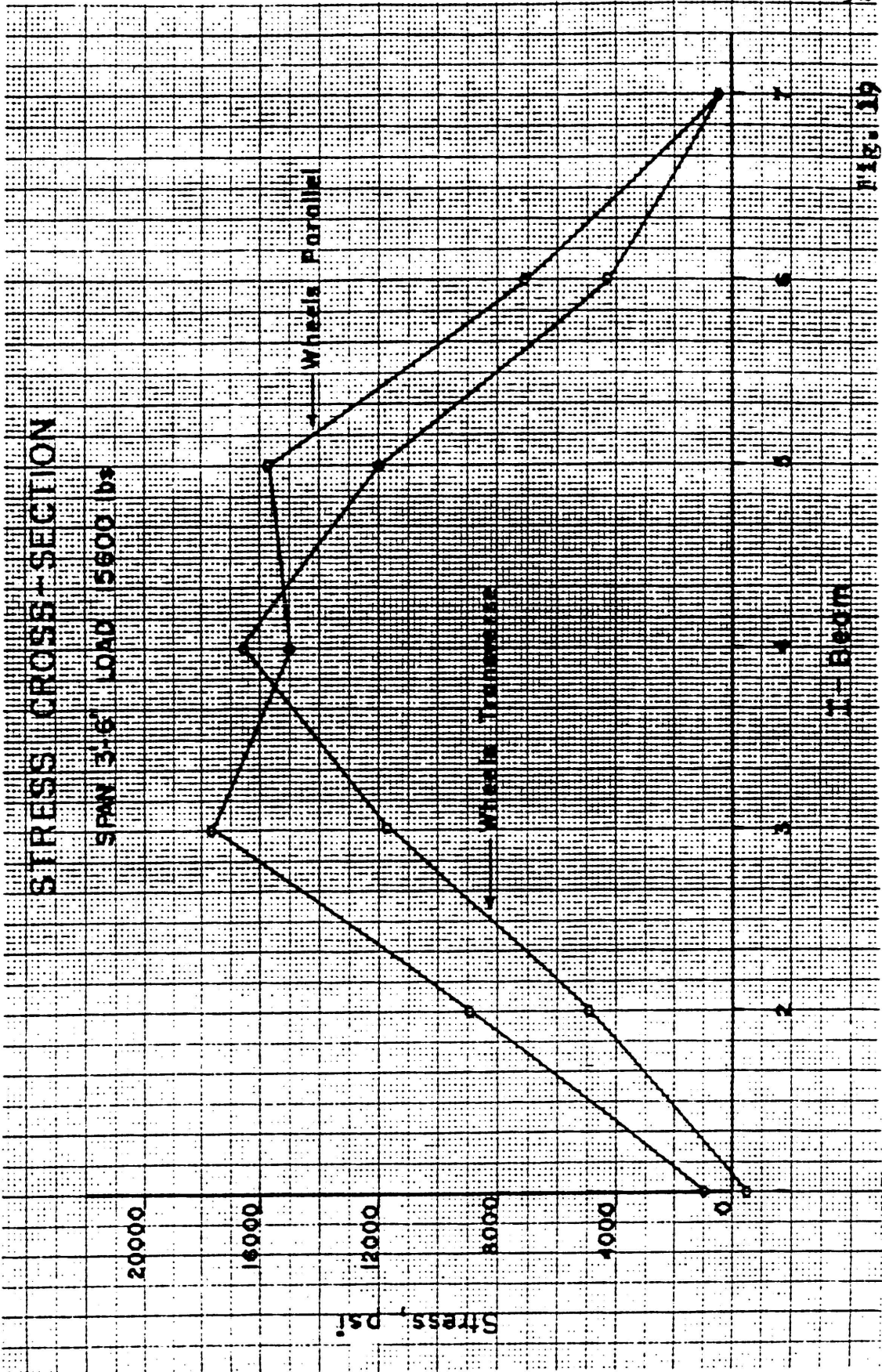
Stress, psi

Wheels Parallel

Wheels Transverse

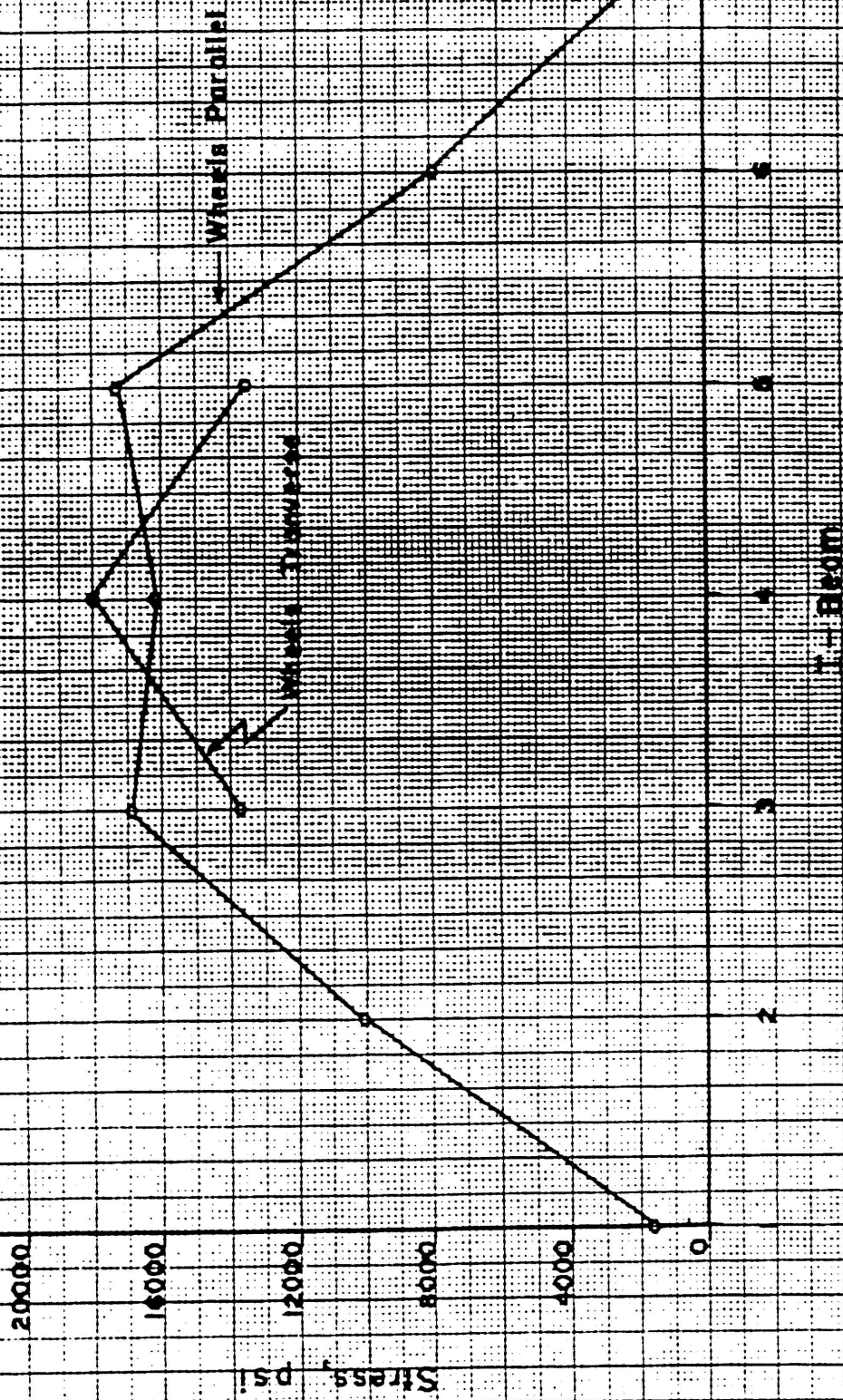
T-Beam

FIG. 19



# STRESS CROSS-SECTION

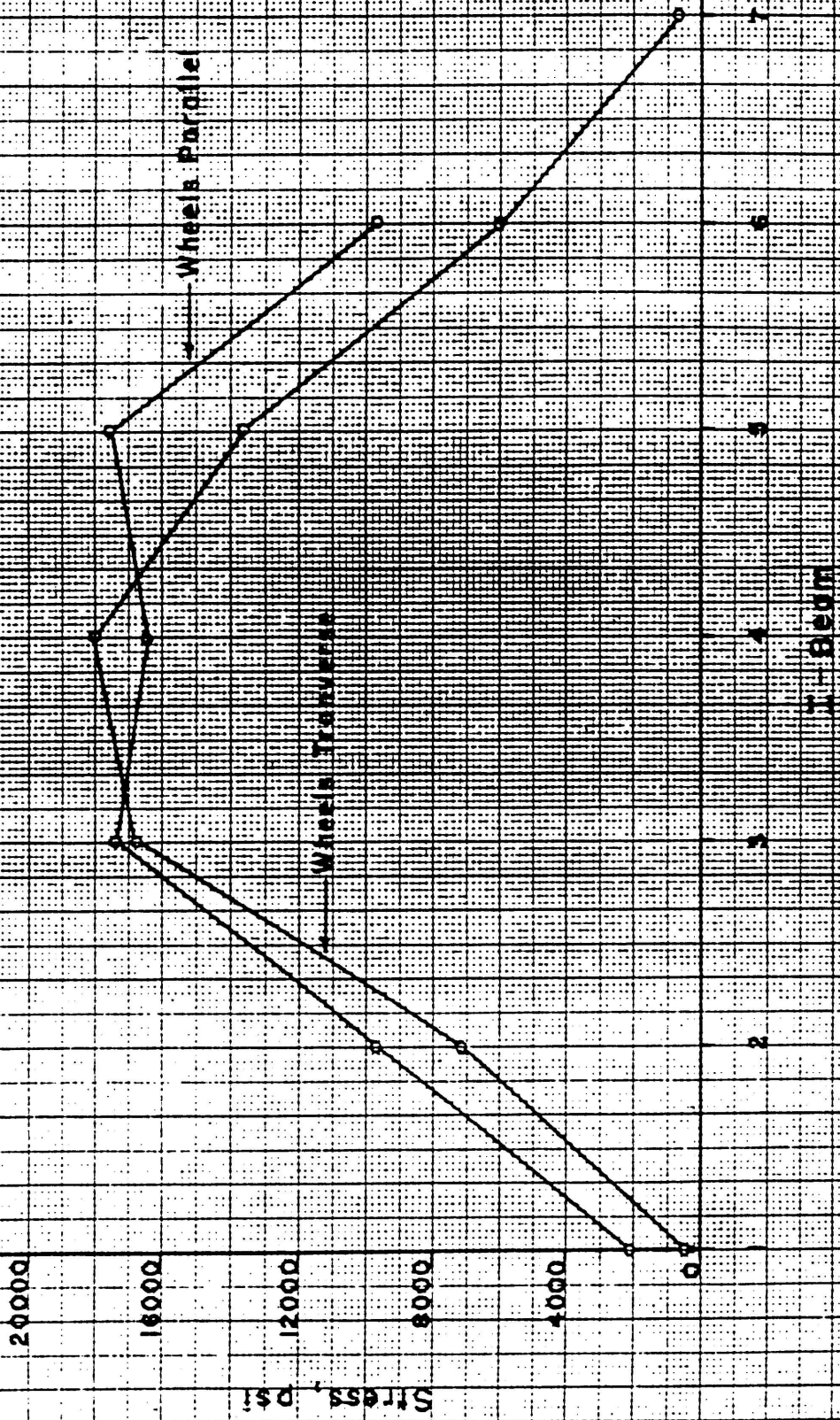
SPAN 4'-0" LOAD 1600 lb





# STRESS CROSS-SECTION

SPAN 4'-6" LOAD 4000 lbs



the wheels placed parallel, although the total load is the same in both cases.

The maximum allowable span for I-Beam-Lok flooring, with the H20 load (plus 30 percent for impact) and unit stress of 18,000 psi, is 4 feet 2 inches when the 5-inch I-beams are parallel to the direction of traffic. When the 5-inch I-beams are transverse to the direction of traffic, the maximum allowable span length is 4 feet 0.02 inch, however, the crossbars should be strengthened.

### TEST III

#### TEST TO DESTRUCTION

The factor of safety is usually based upon the allowable unit stress and the minimum yield point of the material. With a unit stress of 18,000 psi and a minimum yield point of 33,000 psi, for the ASTM Type A-7 steel used in the construction of I-Beam-Lok flooring, a factor of safety of 1.83 is indicated.

The actual factor of safety should be based on the actual load to cause failure and the design load.

To determine this factor of safety, using a specific span length, was the object of this test.

The flooring was set up as a continuous beam with three spans over four supports. Fig. 3, p. 12.

A span length of 4 feet was chosen instead of

the maximum allowable span of 4 feet 2 inches determined in Test II. This was also the span recommended by the manufacturer.

The flooring was welded to the 6-inch 12.5 pound I-beam stringers according to the manufacturer's specifications. The stringers were in turn welded to the 10-inch 25.4-pound supporting I-beams which were spaced 20 inches center to center.

It was necessary in this test to replace the dual tires with some other means of loading which would duplicate the stress distribution of the dual tires.

To obtain the size and shape of the blocks, impressions were made of the dual tires at design load. Fig. 22, p. 37. These impressions were elliptical in shape, with a major axis of 13.75 inches and minor axis of 7.75 inches. Two wooden blocks, 2 inches thick, were substituted for the dual tires. To compensate for the extra width of the tire casing placed between the blocks and the flooring a strip  $\frac{1}{4}$  inch wide was trimmed from around the edges.

To further simulate the uniform pressure of the pneumatic tires, a piece of tire casing was placed, tread down, beneath the blocks. Tests were made to verify that the load distribution of the blocks was the same as the dual tires. Fig. 23, p. 38. In this test

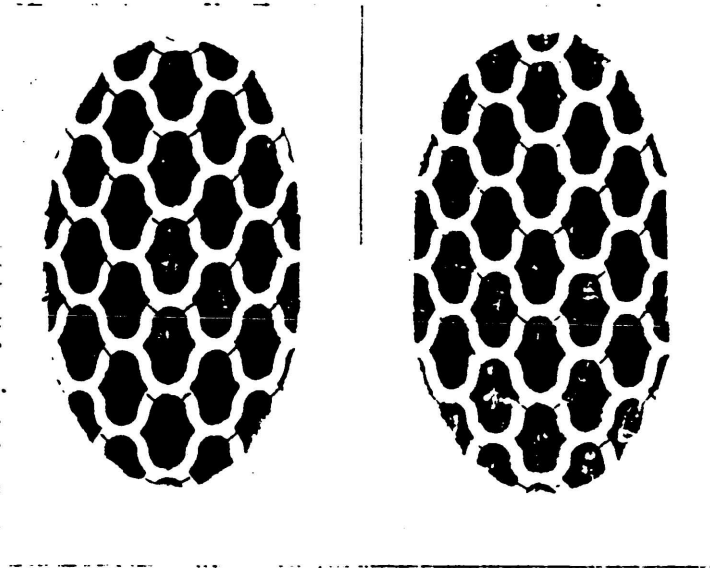
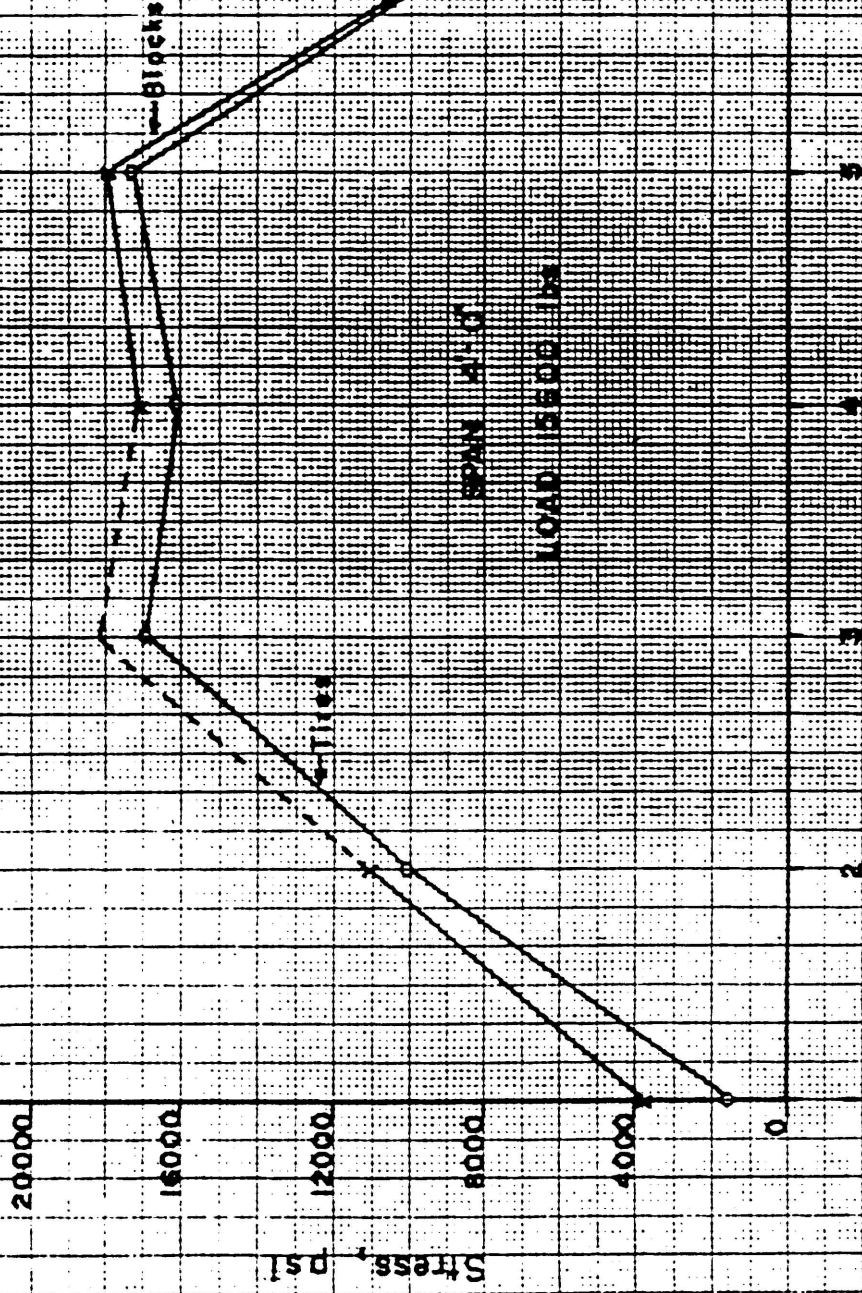


Fig. 22

Dual Tire Impressions

# STRESS CROSS-SECTION

TIRES AND BLOCKS



SPAN 41.0

LOAD 1500 LB

T-BEAM

gage 19 was assumed to be defective since the zero reading was greater than usual and a very high stress was indicated. The symmetry of the remaining gages justified this assumption.

The loading set-up consisted of a 10 x 12 inch timber 2 feet long between the head of the testing machine, the wooden blocks and tire casings. Figs. 24, 25, pp. 40 and 41.

Deflection readings were not made in this test because of the lack of rigidity in the supports.

Strain readings were taken with gage 21, located on I-beam 5 and under one of the blocks.

The load was applied to the decking in increments of 2,000 pounds until a load of 50,000 pounds was reached where gage 21 failed. Loading continued to 110,500 pounds and the 10 x 12 inch timber replaced with four 4-inch 7.7-pound I-beams. Fig. 26, p. 42. The load was increased to 136,500 pounds. At this point the deformation of the flooring allowed the 4-inch I-beams of the loading device to bear on the specimen.

The flooring was examined for ruptures and none were found. All welds were intact.

The deflection of the center 5-inch I-beams relative to the outside 5-inch I-beams was measured. The values are given in Table III:

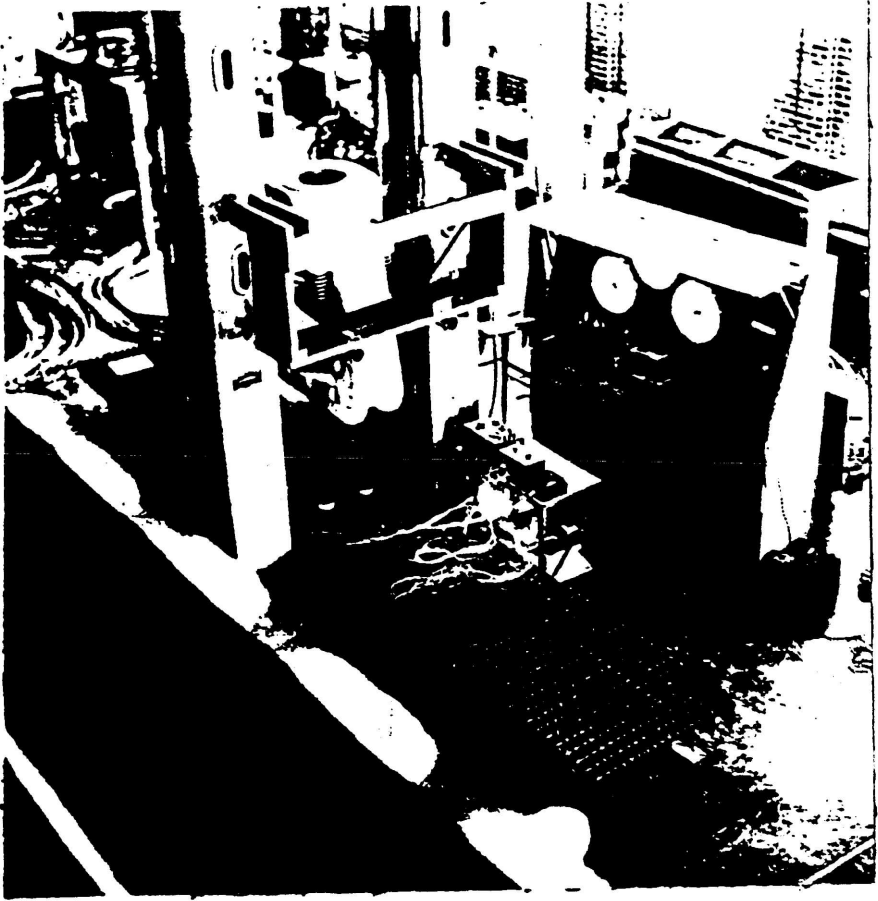


Fig. 24

General View of the  
Test to Destruction



**Fig. 25**  
**Loading Device, with Timber,**  
**For Test to Destruction**



TABLE III

<u>5-inch I-beam</u>	<u>Deflection Inches</u>
2	1.28
3	2.58
4	2.66
5	2.56
6	1.20

The load strain curve plotted for this test indicates the elastic limit of the decking was reached at a load of 34,000 pounds. Fig. 27, P. 44.

The factor of safety based on a design load of 15,600 pounds is therefore 2.18.

## CONCLUSIONS

From the results of the tests the following conclusions have been drawn:

(1) The Moment of Inertia for I-Beam-Lok Flooring was 4.91 inches<sup>4</sup>.

(2) The supplementary bars increase the Moment of Inertia of the flooring 35 to 50 percent over and above what it would be for the 5-inch I-beams alone, this increase being greater the higher the load.

(3) The maximum allowable span with the H20 load (plus 30 percent for impact) was found to be 4 feet 2 inches when the tires are parallel to the 5-inch I-beams. With the tires in a transverse direction a span of 4 feet 0.20 inches would not overstress the 5-inch I-beams but the transverse bars would be stressed to approximately 21,600 psi. The transverse bars should be strengthened when the flooring is to be used transverse to the direction of traffic.

(4) For the recommended span of 4 feet the effective load distribution was found to be 4.15 repeating sections (one 5-inch I-beam plus two parallel bars). This is lower than the 4.75 value which would be obtained using the AASHO specifications. The value is somewhat lower because of the small width of the

specimen tested.

(5) The effective load distribution is dependent upon span length, increasing with longer spans.

(6) The factor of safety shown in the test, using a continuous span with three 4-foot spans, and the load applied parallel to the 5-inch I-beams, was 2.18 based on the apparent yielding of the specimen. A further increase of 8.75 times the design load caused no weld failures and only severe deformation in the flooring.

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A P P E N D I X

## TEST I

Run 1

<u>Load, Pounds</u>	<u>Gage No.</u>	<u>Deflection</u>		<u>Strain</u>			
		<u>Deflection</u>	<u><math>\Delta S</math></u>	<u>Average Strain</u>			
1,000	9	-	200	0.0001297			
	10	-	141				
	11	-	124				
	12	-	121				
	13	-	140				
	14	-	169				
	15	-	219				
						Av = 159	
	17	0.159	186			0.0001297	
	18	0.153	162				
	19	0.143	137				
	20	0.149	131				
	21	0.144	141				
	22	0.141	162				
	23	0.145	197				
			Av = 159				
	Av =	0.147					
2,000	9	-	348	0.0002398			
	10	-	260				
	11	-	239				
	12	-	242				
	13	-	263				
	14	-	331				
	15	-	373				
						Av = 294	
	17	0.285	324			0.0002440	
	18	0.271	294				
	19	0.261	263				
	20	0.255	263				
	21	0.263	283				
	22	0.266	311				
	23	0.274	352				
			Av = 299				
	Av =	0.268					

## TEST I

Run 1

<u>Load, Pounds</u>	<u>Gage No.</u>	<u>Deflection</u>	<u>Strain</u>	<u>Average Strain</u>	
		<u>Deflection</u>	$\Delta S$		
3,000	9	-	494	0.000342	
	10	-	381		
	11	-	351		
	12	-	360		
	13	-	381		
	14	-	445		
	15	-	526		
			Av =		420
		17	0.410		453
		18	0.398		423
		19	0.386		355
		20	0.385		385
		21	0.382		408
		22	0.391		447
		23	0.394		482
		Av =	422		
4,000	9	-	642	0.000455	
	10	-	502		
	11	-	468		
	12	-	483		
	13	-	510		
	14	-	601		
	15	-	697		
			Av =		558
		17	0.532		590
		18	0.514		568
		19	0.499		487
		20	0.507		520
		21	0.517		553
		22	0.507		595
		23	0.517		648
		Av =	566		
		0.513		0.000461	

## TEST I

Run 1

<u>Load, Pounds</u>	<u>Gage No.</u>	<u>Deflection</u>	<u>Strain</u>		
		<u>Deflection</u>	$\Delta S$	<u>Average Strain</u>	
5,000	9	-	775	0.000554	
	10	-	623		
	11	-	573		
	12	-	612		
	13	-	631		
	14	-	720		
	15	-	829		
			$\Delta V = 680$		
		17	0.633		717
		18	0.590		733
		19	0.629		648
		20	0.619		667
		21	0.623		709
		22	0.629		754
		23	0.641		783
		$\Delta V = 0.623$	$\Delta V = 716$	0.000584	



## TEST I

Run 2

<u>Load, Pounds</u>	<u>Gage No.</u>	<u>Deflection</u>	<u>Strain</u>	<u>Average Strain</u>	
		<u>Deflection</u>	<u><math>\Delta S</math></u>		
1,000	9	-	186	0.0001198	
	10	-	127		
	11	-	113		
	12	-	122		
	13	-	120		
	14	-	157		
	15	-	205		
			$\Delta v =$		<u>147</u>
		17	0.143		177
		18	0.143		149
		19	0.131		133
		20	0.125		128
		21	0.134		136
		22	0.125		159
		23	0.138		191
	$\Delta v =$	<u>0.134</u>	$\Delta v =$ <u>153</u>		
2,000	9	-	346	0.0002290	
	10	-	256		
	11	-	232		
	12	-	235		
	13	-	251		
	14	-	269		
	15	-	380		
			$\Delta v =$		<u>281</u>
		17	0.283		324
		18	0.270		294
		19	0.262		264
		20	0.254		260
		21	0.269		282
		22	0.275		322
		23	0.274		363
	$\Delta v =$	<u>0.270</u>	$\Delta v =$ <u>301</u>		
				0.0002454	

## TEST I

Run 2

<u>Load, Pounds</u>	<u>Gage No.</u>	<u>Deflection</u>	<u>Strain</u>	<u>Average Strain</u>	
		<u>Deflection</u>	$\Delta S$		
3,000	9	-	487	0.000340	
	10	-	376		
	11	-	346		
	12	-	362		
	13	-	378		
	14	-	445		
	15	-	523		
			Av = $\frac{417}{15}$		
		17	0.413		459
		18	0.398		440
		19	0.388		386
		20	0.387		395
		21	0.403		421
		22	0.399		458
		23	0.395		492
	Av =	$\frac{0.398}{23}$	Av = $\frac{436}{23}$	0.000355	
4,000	9	-	626	0.000450	
	10	-	501		
	11	-	461		
	12	-	493		
	13	-	507		
	14	-	596		
	15	-	676		
			Av = $\frac{551}{15}$		
		17	0.535		592
		18	0.526		579
		19	0.510		519
		20	0.505		535
		21	0.524		568
		22	0.517		608
		23	0.526		639
	Av =	$\frac{0.520}{23}$	Av = $\frac{577}{23}$	0.000471	

TEST II

Span 3' - 6" Wheels Parallel

Stress psi Average of Runs 1, 2, 3

Gage	Lead, Pounds									
	2,000	4,000	6,000	8,000	10,000	12,000	14,000	16,000	18,000	
1	-75	150	150	450	450	675	750	900	1,050	
2	-519	-699	-1,149	-1,350	-1,848	-2,475	-2,199	-2,400	-2,625	
3	-699	-1,050	-1,449	-1,848	-2,100	-2,700	-2,925	-3,150	-3,525	
4	-648	-1,050	-1,500	-2,100	-2,850	-3,360	-3,699	-3,825	-4,800	
5	-549	-1,050	-1,449	-1,800	-2,649	-3,198	-3,600	-4,050	-4,500	
6	-150	-450	-525	-750	-975	-1,275	-1,350	-1,575	-1,875	
7	99	198	375	399	450	375	525	675	750	
9	-150	-150	-375	-450	-675	-900	-900	-1,200	-1,425	
10	-900	-1,800	-2,850	-3,900	-4,800	-6,000	-6,900	-7,800	-8,850	
11	-1,800	-3,600	-5,400	-7,350	-9,000	-11,400	-13,050	-14,700	-16,200	
12	-1,850	-3,360	-4,050	-5,700	-7,560	-9,210	-10,560	-11,640	-12,960	
13	-2,100	-3,900	-6,000	-8,100	-11,550	-12,000	-13,500	-15,600	-17,100	
14	-900	-1,698	-2,550	-3,498	-4,398	-5,298	-6,099	-6,750	-7,650	
15	49.8	0	0	-48	-249	-249	-249	-48	-99	
17	649	399	648	750	699	999	1,200	1,500	1,650	
18	1,050	2,250	3,399	4,599	5,499	6,699	7,800	9,375	10,350	
19	2,100	4,275	6,225	8,400	10,350	12,150	13,800	15,675	17,250	
20	1,950	4,149	6,000	7,998	9,498	11,400	13,149	15,150	16,575	
21	2,550	4,899	6,900	9,099	10,800	12,639	14,250	16,275	17,775	
22	1,299	2,448	3,450	4,398	5,148	5,750	6,648	7,650	8,325	
23	99	249	399	399	249	399	498	498	549	
27	699	1,398	2,400	3,189	3,900	4,698	5,550	6,450	7,125	
28	648	1,350	2,100	3,048	3,498	4,548	5,400	6,375	7,800	
29	1,098	1,899	2,649	3,549	4,149	4,899	5,598	6,300	7,050	55

## TEST II

Span 3' - 6" Wheels Parallel

Load 15,600 lbs. Average of Runs 4, 5, 6

Stress psi

<u>Gage No.</u>	<u>Stress</u>	<u>Gage No.</u>	<u>Stress</u>
1	750	29	6,099
2	-2,448	30	1,749
3	-3,300	33	2,499
4	-4,200	34	3,750
5	-4,050	35	2,700
6	-1,698	36	10,749
7	600	37	10,950
10	-7,698	38	11,448
12	-13,950	39	10,698
14	-6,900	40	10,950
17	999	41	11,100
18	8,898	42	3,750
19	17,649	43	4,899
20	15,000	44	3,348
21	15,750	45	-3,798
22	7,149	46	-3,600
23	498	47	-5,049
27	6,000	48	-99
28	5,799	49	6,450

TEST II

Span 3' - 6" Wheels Transverse

Gage	Stress per Average of Runs 7, 8, 9								
	<u>2,000</u>	<u>4,000</u>	<u>6,000</u>	<u>8,000</u>	<u>10,000</u>	<u>12,000</u>	<u>14,000</u>	<u>16,000</u>	<u>18,000</u>
36	1,398	2,700	3,948	5,448	6,750	8,148	9,549	10,749	11,748
37	2,250	4,449	6,450	8,649	10,248	11,799	13,449	15,048	16,350
38	1,449	2,850	4,149	5,649	6,948	8,250	9,798	11,199	12,450
39	1,350	2,850	4,248	5,649	7,200	8,499	9,900	11,298	12,558
40	2,250	4,500	6,648	8,748	10,758	12,558	14,250	16,050	17,450
41	1,350	2,850	4,350	5,898	7,350	8,898	10,350	11,850	12,050
19	1,500	3,048	4,449	6,150	7,599	9,048	10,599	12,150	13,500
20	2,199	4,398	6,498	8,850	10,800	12,849	14,850	16,998	18,600
21	1,548	3,099	4,548	6,300	7,749	9,498	10,848	12,549	13,899
48	3,198	6,000	8,250	10,950	12,750	14,598	16,098	17,499	18,549
49	1,800	3,549	5,148	6,948	8,700	10,350	11,949	13,299	15,000

## TEST II

Span 3' - 6" Wheels Transverse

Load 15,600 lbs. Average of Runs 10, 11, 12

Stress psi

<u>Gage No.</u>	<u>Stress</u>	<u>Gage No.</u>	<u>Stress</u>
1	1,089	34	4,200
2	-1,200	35	3,798
3	-3,000	36	10,350
4	-6,150	37	14,498
5	-3,450	38	10,599
6	-600	39	10,950
7	-1,200	40	15,498
17	-450	41	11,199
18	4,950	42	5,799
19	11,748	43	7,350
20	16,500	44	5,400
21	12,000	45	-3,600
22	4,299	46	-5,748
23	549	47	-5,049
33	3,498	48	17,049
		49	13,449

TEST II

Span 4' - 0" Wheels Parallel

Stress psi Average of Runs 1, 2

Cage	Load, Pounds					
	<u>2,000</u>	<u>4,000</u>	<u>6,000</u>	<u>8,000</u>	<u>10,000</u>	<u>12,000</u>
1						<u>18,000</u>
2						450
3						-1,800
4						-5,700
5						-5,400
6						-4,800
7						-1,800
17						-2,100
18						1,350
19						10,050
20	2,175	4,500	6,600	8,400	10,500	16,950
21	1,800	3,975	6,075	8,100	9,600	16,275
22	2,850	5,250	7,650	9,825	11,850	15,900
23						10,650
27						1,800
28						4,050
29						3,600
30						5,100
33						150
34						4,950
35						6,600
36						5,400
37						13,650
38						14,250
39						15,000

## TEST II

Span 4' - 0" Wheels Parallel

Load 15,600 lbs. Average of Runs 3, 4, 5

Stress psi

<u>Gage No.</u>	<u>Stress</u>	<u>Gage No.</u>	<u>Stress</u>
1	648	36	12,399
2	-1,200	37	12,549
3	-4,698	38	12,699
4	-4,200	39	11,898
5	-4,299	40	12,399
6	-2,100	41	12,099
7	900	42	5,100
17	1,599	43	6,249
18	10,050	44	4,950
19	16,950	45	-3,600
20	16,149	46	-3,075
21	17,298	47	-4,650
22	7,950	48	1,248
23	1,149	49	10,248
30	-300	50	7,098
33	4,548	51	10,350
34	5,949	52	13,200
35	4,500	53	5,448
		54	9,849



TEST II

Span 4' - 0" Wheels Transverse

Stress psi Average of Runs 6, 7

Cage	Load, Pounds						
	<u>2,000</u>	<u>4,000</u>	<u>6,000</u>	<u>8,000</u>	<u>10,000</u>	<u>12,000</u>	<u>14,000</u>
19	1,725	3,450	5,100	6,975	8,625	10,350	12,075
20	2,250	4,650	6,900	9,375	11,610	13,875	16,050
21	1,800	3,600	5,400	7,200	8,850	10,650	12,450
48	3,450	6,450	9,150	11,625	13,650	15,375	17,250
49	2,025	4,125	6,075	8,100	9,960	11,760	14,100
50	2,925	6,150	9,150	12,600	15,000	16,800	18,600
51	2,850	5,700	8,625	11,325	13,500	15,600	17,610
52	2,025	3,900	5,700	7,575	9,300	11,100	13,200
53	2,700	5,400	8,175	11,025	13,125	14,775	16,800
54	2,550	5,550	8,100	10,710	12,810	14,910	16,875
55	2,700	3,200	6,600	8,100	9,600	10,500	12,600
57	600	1,350	2,400	3,300	4,200	4,950	6,600
58	750	1,800	2,700	4,200	5,400	6,300	7,500
							<u>15,600</u>
							13,950
							18,450
							14,250
							18,675
							15,600
							19,650
							18,450
							14,550
							18,300
							18,300
							12,900
							7,500
							8,700

TEST II

Span 4' - 6" Wheels Parallel

Stress psi Average of Runs 1, 2, 3

Gage	<u>2,000</u>	<u>4,000</u>	<u>6,000</u>	<u>8,000</u>	Load, Pounds		<u>14,000</u>	<u>15,600</u>	<u>16,000</u>
					<u>10,000</u>	<u>12,000</u>			
2									
3								-1,650	
4								-3,348	
5								-2,949	
6								-2,649	
7								-360	
17	198	549	900	1,200	1,500	1,800	2,100	1,449	2,550
18	1,398	2,748	4,200	5,550	7,050	8,400	9,750	2,349	11,100
19	2,949	5,598	7,875	10,500	12,675	15,180	17,325	10,800	19,350
20	2,298	4,596	6,900	9,300	11,775	13,998	16,425	18,948	18,750
21	2,799	5,499	7,875	10,599	12,975	15,300	17,550	18,249	19,725
22	1,248	2,499	3,825	5,298	7,350	7,998	9,675	19,248	19,725
23								10,398	10,650
28								2,550	
33								648	
34								6,099	
35								7,800	
36								6,399	
37								14,550	
38								15,150	
39								14,598	
40								13,698	
41								14,298	
								13,698	

TEST II

<u>Gate</u>	<u>2,000</u>	<u>4,000</u>	<u>6,000</u>	<u>8,000</u>	<u>10,000</u>	<u>12,000</u>	<u>14,000</u>	<u>15,600</u>	<u>16,000</u>
42	-300	-498	-750	-900	-600	-450	-75	360	600
43	1,149	2,448	3,750	5,199	6,750	8,250	9,525	10,698	10,950
44	999	1,998	3,000	4,650	6,150	7,599	8,850	10,149	10,275
45	849	1,698	2,775	3,750	5,775	9,198	7,650	8,700	9,150
46	1,350	2,850	4,275	5,850	7,500	8,850	10,275	11,448	11,700
47	750	1,500	2,325	3,348	4,350	5,349	6,525	7,449	7,725
48	849	1,698	2,625	3,498	4,650	5,700	6,900	8,148	8,400
49	2,100	3,699	5,250	6,450	7,625	8,649	9,375	10,050	10,125
50	2,400	3,840	5,160	6,540	7,950	8,460	9,360	9,960	10,110

TEST II

Span 4' - 6" Wheels Transverse

Page	Stress psi				
	<u>2,000</u>	<u>4,000</u>	<u>6,000</u>	<u>8,000</u>	<u>10,000</u>
2					<u>14,000</u>
3					-750
4					-2,700
5					-4,500
6					-1,950
7					600
17					1,500
18					450
19					7,200
20					16,800
21					18,000
22					13,650
23					6,000
28					750
33					1,800
34					7,200
35					8,100
36					7,200
37					12,900
38					18,000
39					12,000
40					13,050
41					17,400
					12,600
					<u>12,000</u>
					300
					6,000
					15,000
					15,600
					11,550
					5,100
					0
					4,800
					9,600
					13,200
					9,750
					4,200
					0
					3,900
					7,950
					10,650
					7,950
					3,300
					0
					2,700
					5,700
					7,800
					5,550
					2,400
					0
					2,100
					3,900
					5,400
					3,900
					1,500
					0
					900
					1,800
					2,700
					1,950
					750

TEST II

<u>Case</u>	<u>2,000</u>	<u>4,000</u>	<u>6,000</u>	<u>Load, Pounds</u> <u>8,000</u>	<u>10,000</u>	<u>12,000</u>	<u>14,000</u>
42	3,600	6,900	9,600	12,600	14,700	16,800	18,750
43	2,100	4,200	6,300	8,700	10,800	12,900	1,500
44	2,400	6,000	9,000	12,600	15,300	17,700	19,950
45	2,550	5,400	8,250	11,100	13,500	15,750	17,700
46	1,950	4,050	5,850	8,250	10,050	11,850	13,950
47	2,700	6,000	9,000	12,300	14,550	16,500	18,600
48	2,400	5,550	8,250	11,100	13,500	15,600	17,700
50	3,000	5,550	7,500	9,300	10,800	12,000	13,650
51	600	1,500	2,400	3,600	4,800	6,000	7,200
52	450	2,100	3,000	4,200	6,000	7,200	8,400

TEST II

Load Applied Through Wooden Blocks

Span 4' - 0" Stress psi

Cage	Load, Pounds					Stress psi
	2,000	4,000	6,000	8,000	10,000	
2						<u>15,600</u>
3						-4,200
4						-6,000
5						-3,750
6						-4,200
7						-1,200
17						3,000
18						3,750
19	3,000	5,400	8,100	10,800	13,500	11,100
20	2,100	4,500	6,900	9,000	11,100	23,700
21	2,100	4,800	6,600	9,000	11,100	17,100
22						18,000
23						7,950
33						150
34						4,500
35						5,550
36						3,300
37						12,600
38						13,200
39						11,400
40						14,250
41						13,800
41						<u>11,000</u>
						<u>12,000</u>
						<u>14,000</u>
						22,050
						15,450
						15,600

TEST II

<u>Cage</u>	<u>2,000</u>	<u>4,000</u>	<u>6,000</u>	<u>8,000</u>	<u>Lead, Pounds</u> <u>10,000</u>	<u>12,000</u>	<u>14,000</u>	<u>15,600</u>
42								6,150
43								7,500
44								5,400
45								-1,500
46								-3,000
47								-3,300
48								3,600
49								10,200
50								8,400
51								6,150
52								10,800
53								7,350
54								6,000
55								-1,200
56								0
57								9,000
58								9,300



## TEST III

## Test to Destruction

Span 4' - 0" Strain Microinches Per Inch

Gage 21		Gage 49	
<u>Load, Pounds</u>	<u>Strain</u>	<u>Load, Pounds</u>	<u>Strain</u>
12,000	465		
14,000	540	50,000	1,210
16,000	620	52,000	1,250
18,000	695	54,000	1,310
20,000	770	56,000	1,410
22,000	850	58,000	1,500
24,000	930	60,000	1,630
26,000	1,000	64,000	1,820
28,000	1,080	70,000	2,090
30,000	1,150	85,000	2,130
32,000	1,220	90,000	2,400
34,000	1,310	95,000	2,810
36,000	1,400	99,000	3,450
38,000	1,520	99,500	3,560
40,000	1,670		
42,000	1,840		
44,000	2,150		
46,000	2,650		
48,000	3,220		
50,000	3,900		

The following formula was used with the Baldwin-Southwark SR-4 Strain Indicator in Test I to convert the micrometer readings of the indicator to strain:

$$\text{Strain} = (\Delta S)(K)$$

$\Delta S$  = change in micrometer readings

$$K = \frac{\text{Bridge Sensitivity Factor}}{\text{Gage Factor}} = \frac{1.688 \times 10^{-4}}{2.07}$$